# I. S. Iokhvidov. On signatures of Toeplitz forms . . . . . 1258

1966

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## Abstract

## Full Text



## CYBERNETICS AND THE REGULATION THEORY



## FLUID MECHANICS



## MATHEMATICAL PHYSICS



## PHYSICS

## TECHNICAL PHYSICS



## CRYSTALLOGRAPHY



# CORRECTIONS

In my note (V. M. Millionshchikov, "Recurrent and almost periodic limiting trajectories of nonautonomous systems of differential equations" ), published in *DAN*, vol. 161, no. 1, 1965, Definition 3 on p. 44 should read as follows:

A solution $x(t)$ $(t \geq t_0)$ will be called **perfectly stable in the sense of Lyapunov** if, for every neighborhood of zero $U \subset L$ and every $T$, there exist a neighborhood of zero $V \subset L$ and a number $\bar{t}$ such that, if $x(t') - x(t'') \in V$ and $t' \geq \bar{t},\ t'' \geq \bar{t}$, then $x(t'+t) - x(t''+t) \in U$ for all $t \geq T$.

In my note (V. M. Millionshchikov, "Asymptotics of solutions of linear systems with small perturbations" ), published in *DAN*, vol. 162, no. 2, 1965:

1) on p. 266, line 10 from the bottom, where $C_1$ is printed, one should read $C_1 = \text{const} \cdot v_1(t)$;
2) on p. 267, line 11 from the bottom, where

$$\int^{\infty} \tau^{m-1} g(\tau)\, d\tau$$

is printed, one should read

$$\int^{\infty} \tau^{m-1} g(\tau)\, d\tau < \infty.$$

V. M. Millionshchikov

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*Note: Figure translations are in progress. See original paper for figures.*