

Calculation Method for Commutation Overshoot Voltage in DC Converter Valves Based on Piecewise Fitting of Thyristor Reverse Recovery Current - Postprint

Authors: Zhang Jing, Gao Chong, Zhou Jianhui, Yin Chunxiao

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Abstract

Thyristors, RC damping circuits, and valve arresters are the principal components of the primary circuit in UHV DC converter valves. Determining the parameter matching among these three device types constitutes the main task in the electrical design of UHV DC converter valves. This paper reveals the generation mechanism of commutation overshoot voltage in converter valves, determines the interaction laws governing the parameters of the three device types, establishes the differential equations for the converter valve operating circuit, solves these equations through a piecewise fitting approach for thyristor reverse recovery current, and verifies the accuracy of the calculation method through experimental testing.

Full Text

Study on the Calculation of the Commutation Overshoot of HVDC Valve Based on the Piecewise Fitting of Reverse Recovery Current of Thyristor

ZHANG Jing¹, GAO Chong¹, ZHOU Jian-hui¹, YIN Chun-xiao²

¹. Global Energy Interconnection Research Institute, Changping District, Beijing 102211, China

². Shanghai Municipal Electric Power Company, Putuo District, Shanghai 200063, China

ABSTRACT

Thyristors, RC damping circuits, and valve arresters constitute the primary components of the main circuit in UHVDC converter valves. Determining the

parameter matching among these three types of devices is a primary task in the electrical design of UHVDC converter valves. This paper reveals the generation mechanism of commutation overvoltage in converter valves, identifies the interactive influence patterns among the parameters of the three device types, establishes the differential equations for the converter valve operating circuit, solves these equations through piecewise fitting of the thyristor reverse recovery current, and validates the accuracy of the proposed calculation method through experimental testing.

KEY WORDS: UHVDC; converter valve; commutation overshoot; RC damping parameters

High-voltage direct current (HVDC) transmission is an important technology for large-capacity, long-distance power transmission. The DC converter valve is the core equipment of HVDC transmission projects. Since the core device, the thyristor, is not an ideal switching component, the HVDC converter valve generates commutation overvoltage during turn-off, subjecting the valve to excessive voltage stress [1-2]. The voltage stress during converter valve turn-off is not only an important test criterion for type tests and factory tests [3-4], but also a significant aspect of valve electrical characteristic research and electrical design [5-8]. Therefore, it is necessary to conduct a detailed analysis of the turn-off voltage stress of converter valves, which are the core equipment of HVDC transmission, and to determine the parameter matching of main circuit components such as thyristors and RC damping circuits.

To date, several publications have introduced and explained the turn-off voltage stress of DC converter valves and its importance [6-8], but few have provided detailed analysis. References [8-10] address this issue but do not consider the effects of thyristor reverse current and reverse recovery charge, which deviates significantly from actual conditions. Reference [11] presents a thorough simulation analysis of turn-off voltage stress under the special operating condition of $\gamma=90^\circ$, but this condition represents a transient state with no practical significance for converter valve electrical parameter design.

This paper reveals the mechanism of commutation overvoltage generation based on analysis of the converter valve operating circuit; establishes a second-order non-homogeneous linear differential equation for the converter valve operating circuit after adding an RC damping circuit; solves the differential equation through piecewise linearization of the thyristor reverse recovery current and fitting the current change rate with a parabola; and for the first time derives an analytical expression for valve commutation overvoltage, revealing the variation pattern of overvoltage peak with damping parameters. On this basis, the accuracy of the calculation method is verified through comparison with test results. Since rectifiers experience significantly higher reverse voltage stress than inverters, this paper uses the rectifier circuit as the converter valve operating circuit.

The 6-pulse converter is the basic conversion unit of HVDC converters. A typical 6-pulse converter operating circuit is shown in Figure 1 [Figure 1: see original paper], consisting of six converter valves V1~V6.

Taking the commutation from valve 6 to valve 2 as an example to illustrate the commutation overvoltage generation process, the corresponding voltage and current waveforms are shown in Figure 2 [Figure 2: see original paper]. At time t_0 , valve 2 receives the trigger signal, and commutation between valve 2 and valve 6 begins. The current through valve 2, i_2 , starts to increase from 0, while the current through valve 6, i_6 , begins to decrease from the load current I_d .

The equivalent circuit of the commutation process is shown in Figure 3 [Figure 3: see original paper]. In the commutation process, within the commutation angle γ , both valve 6 and valve 2 conduct forward current, and both valves remain in the conducting state. Therefore, $U_{v6}=0$, the value of di_6/dt is negative, and the converter transformer output voltage U_{bc} is entirely borne by the converter transformer leakage inductance L_{lk} .

When i_6 decreases to 0, commutation ends. Since the thyristor is not an ideal switching device, it undergoes a reverse conduction process after current zero-crossing. During this reverse conduction process, the reverse current through the thyristor increases from 0 to the reverse current peak I_{RM} , then decreases from I_{RM} to 0 [12~13], as shown in Figure 4 [Figure 4: see original paper].

Between t_1 and t_3 , the current change rate di_6/dt of valve 6 is the same as during the commutation process, and valve 6 still does not withstand voltage. After time t_3 , the magnitude of di_6/dt gradually decreases, and valve 6 begins to withstand reverse voltage. At time t_4 , i_6 reaches the reverse peak current I_{RM} , at which point $di_6/dt=0$ and $U_{v6}=-U_{bc}$. After time t_4 , the value of di_6/dt changes from negative to positive, and the induced voltage of L_{sr} superimposes with the converter transformer output voltage U_{bc} , causing the voltage borne by valve 6 to be higher than U_{bc} . At time t_5 , di_6/dt reaches its peak, and the reverse voltage borne by valve 6 reaches its peak. This process generates the commutation overvoltage.

Taking t_0 as the time reference point, let the effective value of the converter transformer valve-side voltage be U_{tr-v} , and the angular frequency of the AC grid be ω . The voltages borne by the four valves in the blocking state are respectively:

From the above formulas, when valve 6 recovers blocking, the overvoltage generated due to the converter transformer leakage inductance L_{lk} is applied not only to valve 6 but also affects the voltages of other valves in the blocking state. Valve 3, which is in the same phase as valve 6, bears a line voltage close to 0, thus its reverse voltage is minimal. Valves 4 and 5, which are in different phases from valve 6, bear the same peak reverse voltage.

The peak reverse voltage depends on the converter transformer valve-side voltage effective value U_{tr-v} , converter transformer leakage inductance L_{lk} , firing

angle α , and commutation angle μ .

First, let us discuss the amplitude of overvoltage generated by the converter transformer leakage inductance L_{lk} . For conventional thyristors used in HVDC transmission, factory test data show that during the thyristor blocking recovery process:

Where: k depends on the thyristor's inherent recovery characteristics.

In the time period from t_4 to t_6 , the current variation is linearized:

Where: t_c is the duration of the commutation process.

From equations (5)~(8), the voltage stress borne by the converter valve during operation can be calculated. For a certain UHVDC transmission project, $U_{te-v}=172\text{kV}$, $L_{lk}=12.2\text{mH}$, and the 6-inch high-power thyristor used has $k=1.5$. The peak reverse voltages of different valves corresponding to different firing angles are shown in Figure 5 [Figure 5: see original paper].

The valve voltage waveforms corresponding to Figure 5 are shown in Figure 6 [Figure 6: see original paper].

From Figure 5, the peak reverse voltage borne by valve 3 is much smaller than that of valves 6 and 4. When the firing angle is less than 17° , the peak reverse voltage of valve 6 is less than that of valve 4. When the firing angle is greater than 17° , the peak reverse voltage of valve 6 exceeds that of valve 4. Under normal operating conditions, the rectifier firing angle varies from 15° to 20° . Within this range, the peak reverse voltages of valves 6 and 4 are between 330kV and 350kV , while the converter transformer output voltage peak is 243kV . The reverse overvoltage multiplication factor is between 1.36 and 1.44. The PCOV (Power Frequency Continuous Overvoltage) limit withstand level of the valve arrester is typically 1.2 times the CCOV (Continuous Converter Operating Voltage), meaning the overvoltage generated during valve operation must not exceed 291.6kV . Excessive peak reverse voltage will cause excessive leakage current in the valve arrester, leading to overheating and damage during long-term operation.

2 Establishment of Valve Circuit Equations After Adding RC Damping Circuit

To reduce commutation overvoltage during converter valve turn-off, an RC damping circuit must be connected in parallel across each thyristor in the converter valve [14]. The commutation circuit model after paralleling the RC damping circuit is shown in Figure 7 [Figure 7: see original paper].

Considering only the commutation process, the commutation circuit in Figure 7 can be converted to the equivalent circuit shown in Figure 8 [Figure 8: see original paper].

Let $\Delta \geq 0$, that is:

By merging the damping circuits in Figure 8, the equivalent circuit shown in Figure 9 [Figure 9: see original paper] can be obtained.

From Figure 9, we can obtain:

From equations (9)~(10), we can obtain:

This equation can be equivalent to:

The characteristic equation of this second-order constant-coefficient non-homogeneous linear differential equation is:

Then the characteristic equation has two real roots, which can prevent oscillation of the entire circuit.

The two roots r_1 , r_2 of equation (13) are respectively:

Let n_1 , n_2 be arbitrary constants. The general solution of the homogeneous differential equation corresponding to equation (12) can be obtained as:

3 Application of Current Piecewise Fitting in Solving Circuit Equations

To solve equation (12), a particular solution of equation (12) must also be determined. The constant term in equation (12) contains the thyristor current change rate di_v/dt . Since the thyristor reverse current i_v is a time-varying function, the thyristor current change rate di_v/dt is also a time-varying function. Therefore, the usual approach to determining the di_v/dt expression is to first determine the i_v expression, then obtain the di_v/dt expression through differentiation.

Reference [15] proposes a method using the Logistic curve, which describes the natural growth process of animals and plants, to establish a thyristor reverse recovery time-varying resistance $R(t)$ model. If this model is adopted to establish the i_v expression, then:

Substituting equation (19) into equation (12) yields a complex second-order variable-coefficient non-homogeneous linear differential equation. The expression for UC cannot be solved through differential equation methods. Therefore, this model is only suitable for simulation software with real-time calculation capabilities.

References [16~21] propose using an exponential current source to represent the thyristor reverse recovery current. This model is currently the most widely used, with the following expression:

If the model in equation (20) is adopted, an exponential function is introduced into the constant term of equation (12), making the solution extremely difficult. Therefore, other methods must be sought to fit i_v .

Considering that di_v/dt is 0 at both t_4 and t_6 moments, and reaches its peak near the midpoint of the t_4 ~ t_6 segment, the variation pattern of di_v/dt is similar

to a parabola. Therefore, we can consider skipping the step of finding the iv expression and directly fitting div/dt in the $t_4\sim t_6$ segment with a parabola. Let:

Taking time t_4 in Figure 4 as the time reference point ($t=0$), then at time t_4 , $\text{div}/\text{dt}(t=0)=0$. At time t_6 , $\text{div}/\text{dt}(t=t_6=IRMt/kId)=0$. At the mid-point of the $t_4\sim t_6$ segment, div/dt reaches its maximum value kId/t , i.e., $\text{div}/\text{dt}(t=IRMt/2kId)=kId/t$. Based on these boundary conditions, using the valve operating circuit in Figure 5 as the input condition, the reverse current model is established using both equation (20) and equation (21). The curve of div/dt changing with time t in the $t_4\sim t_6$ segment is shown in Figure (10) [Figure 10: see original paper].

From Figure 10, if the exponential current source model in equation (20) is used to simulate the variation pattern of div/dt with time t in the $t_4\sim t_6$ segment, div/dt decays according to an exponential law, and the initial value of div/dt is not 0. Obviously, this does not match the thyristor reverse current variation pattern shown in Figure 4 and will inevitably introduce significant deviation into the UC calculation results. In contrast, using the parabola model in equation (21), div/dt in the latter half of the $t_4\sim t_6$ segment approximately matches the exponential current source model, and can better simulate the variation pattern of div/dt throughout the entire $t_4\sim t_6$ segment.

Substituting equation (21) into equation (12), the constant term in equation (12) becomes a quadratic polynomial in t . Therefore, we can assume a particular solution of equation (12) as:

Then we can solve for:

Let n_1, n_2 be arbitrary real numbers. Then UC:

Taking time t_4 as the time reference point ($t=0$), at this moment $UC=0$. When $t=t_6$, $UC=-U_{bc}$. From these initial conditions, we can obtain:

Thus, all coefficients in equation (12) are determined, and the functional relationship of U_c changing with time is subsequently determined.

Substituting equation (25) into equation (9), we can obtain:

Equation (28) is the function of reverse voltage changing with time during the blocking recovery process of the converter valve after adding the damping circuit, where the coefficients of UC are determined by equations (26) and (27). It can be seen that converter transformer parameters, damping circuit parameters, and thyristor parameters all affect the amplitude of U_{v6} .

Still using the circuit parameters of the UHVDC transmission project in Figure 5 as input conditions, the variation pattern of U_{v6} with RS for different CS values is shown in Figure 11 [Figure 11: see original paper].

From Figure 11, within the t_e time period, for determined RS and CS, U_{v6} increases from 0 to the reverse peak $U_{v6\text{-max}}$ and then decreases to 0. If RS is constant, $U_{v6\text{-max}}$ increases as CS decreases. If CS is constant, $U_{v6\text{-max}}$

varies with t_e and R_S in a “saddle” shape. When R_S takes a certain value, the absolute value of U_{v6-max} can be minimized. It can be seen that selecting appropriate R_S and C_S values can make U_{v6-max} less than 291.6kV. In this way, the damping circuit effectively reduces commutation overvoltage and protects the valve arrester.

4 Comparison Between Calculation Model and Test Results

To further verify the accuracy of the above calculation method, calculation results must be compared with measured results under the same circuit conditions. The most intuitive comparison method is to directly input the circuit parameters of a certain DC project into the calculation formula and compare the measured valve voltage waveform with the calculation results. However, in actual engineering, the valve terminal voltage waveform cannot be measured directly. The valve voltage waveform can only be indirectly fitted from the measured voltage on the converter transformer valve side. Due to measurement sampling accuracy limitations, the resulting valve voltage waveform cannot display commutation overvoltage.

Therefore, experimental verification is considered. The thyristor-level equivalent test circuit shown in Figure 12 [Figure 12: see original paper] is established, where NS is the number of thyristor series stages in a single valve. Then Figure 12 can equivalently simulate the turn-off process of the converter valve in Figure 7.

Using the UHVDC transmission project parameters in Figure 5 as input conditions, setting the firing angle $\alpha=20^\circ$, and changing the damping parameters, the calculated U_{v6} results and test curves are shown in Figure 13 [Figure 13: see original paper].

The comparison between calculated and test results of U_{v6-max} corresponding to Figure 13 is shown in Table 1 .

From Figure 13, the variation pattern of the U_{v6} curve obtained from equation (28) basically matches the test results. From Table 1 , when C_S and R_S take different values, the deviation between calculated and test results of U_{v6-max} does not exceed 4%. This indicates that the valve commutation overvoltage peak calculated by equation (28) can accurately reflect actual conditions, and demonstrates that the commutation overvoltage calculation method proposed in this paper has high practical value.

Conclusions

Through the research in this paper, the following conclusions can be drawn:

- (1) Converter valve commutation overvoltage is generated by the change in thyristor reverse recovery current, which causes the converter transformer leakage inductance induced voltage to superimpose with the converter

transformer output voltage. Excessive commutation overvoltage will endanger the safe operation of the valve arrester.

- (2) Paralleling an RC damping circuit across the converter valve can suppress commutation overvoltage, but adding RC damping changes the converter valve operating circuit structure. Based on the converter valve operating circuit, a second-order constant-coefficient non-homogeneous linear differential equation for the damping capacitor terminal voltage with respect to time can be derived.
- (3) Using a parabola to fit the current change rate during the thyristor reverse recovery current process from reverse peak to 0 can skip the step of finding the iv expression and directly fit dv/dt , avoiding the solution of variable-coefficient non-homogeneous differential equations.
- (4) By solving the converter valve circuit equation through the piecewise fitting method of thyristor reverse recovery current, the variation pattern of valve reverse voltage with damping parameters can be obtained. When external circuit conditions are determined, the valve reverse voltage peak depends on the thyristor reverse recovery current peak, current change rate, damping capacitance, and damping resistance parameters.
- (5) The deviation between calculated and test results of converter valve commutation overvoltage peak does not exceed 4%. The calculation method for valve commutation overvoltage proposed in this paper can accurately reflect actual conditions and has high practical value.

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