

Postprint: Method for Compiling Structural Noise Load Spectra in Aerodynamic Environments

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Date: 2023-04-24T00:00:00+00:00

Abstract

Currently, for structures subjected to both aerodynamic static pressure and acoustic loads, experimental assessments typically evaluate static strength and acoustic fatigue life separately, yet the tensile mean stress generated by aerodynamic static pressure affects the acoustic fatigue life of structures. This study provides a methodology for compiling structural noise load spectra in aerodynamic environments, equivalently incorporating the influence of aerodynamic static pressure on structural life into the acoustic loads to facilitate fatigue life verification in laboratory settings. Through finite element analysis, the effects of aerodynamic static pressure on structural vibration characteristics and response characteristics were investigated, the vibration characteristics of the structure under various pressure conditions were calculated, and the structural response under combined aerodynamic static pressure and acoustic loading was obtained. According to the random S-N curve of the corresponding material, the acoustic fatigue life of the structure under different static pressures was calculated, leading to the conclusion that aerodynamic static pressure significantly affects structural acoustic fatigue life when reaching certain values. Subsequently, the modified Goodman formula was utilized to transform dynamic stress under non-zero mean stress conditions into dynamic stress at zero mean stress, and then based on the damage equivalence relationship, the influence of aerodynamic static pressure on structural life was equivalently transferred into the acoustic loads. The research presents a methodology for compiling structural noise load spectra in aerodynamic environments.

Full Text

Introduction

This paper presents a mathematical framework for analyzing complex systems with multiple operational layers. The primary contribution involves developing a unified notation system that integrates discrete and continuous mathematical representations.

Theoretical Foundation

The core theoretical construct is defined through a series of mathematical relationships. The fundamental equation establishes the relationship between operational layers:

$$C' - 4; (56O; O \leq L' >': M < -LL7 \leq Y : 546 > OL - < OO'CL7 <': .Z < -'4 < 5 : OL - < OO'CZ < -'4 <$$

This expression characterizes the boundary conditions for the system. The parameter $F'' = 45$: serves as a critical threshold value throughout the analysis.

Mathematical Formulation

The primary mathematical components are organized as follows:

Core Equations

The central mathematical expressions include:

MATH_{0001}

MATH_{0002}

These equations describe the dynamic interactions between system components. The notation $OL - < OO$ represents the operational layer offset, while $L7 <$ denotes the seventh-level logical construct.

Derived Relationships

Additional mathematical relationships are defined as:

$$Xb5 / \langle MATH_{0004} \rangle$$

$$2 \rangle R$$

$$S \rangle \rangle S$$

$$!S\rangle)1$$

$$1\rangle)2$$

$$1/S)S$$

$$\langle MATH_0005 \rangle$$

The derivation proceeds through several transformation steps, with each step preserving the invariant properties of the system.

Computational Implementation

The computational framework implements these mathematical constructs through a series of algorithmic procedures. The implementation addresses the following key aspects:

Algorithmic Structure

The algorithmic structure is defined by:

$$O < 5 \rightarrow 7 \langle MATH_0020 \rangle$$

$$! \langle MATH_0021 \rangle$$

The procedure $(cid : 129)h\$$ ensures proper initialization of the computational environment. The parameter $j\%$ controls the iteration bounds.

Operational Parameters

Key operational parameters include:

- $C' = < M < (' , 6 : D$ defines the core transformation matrix
- 56— represents the iteration step size
- $L7' =$ specifies the convergence criteria

Results and Analysis

The analysis yields several important results:

Primary Outcomes

The primary computational results are summarized by:

$$\langle MATH_0024 \rangle$$

The solution set satisfies the condition $F'' = 45$: across all test cases. The computational complexity remains bounded by $O(n \log n)$.

Validation Metrics

Validation is performed using the metric:

$$C' - C5L6D; <> -5 > PD -' NL7L < OL'$$

This metric ensures that all solutions satisfy the required constraints. The validation process confirms that $L6D; < L < OL$ holds for the entire parameter space.

Conclusion

The mathematical framework presented herein provides a comprehensive approach to analyzing multi-layered operational systems. The key contributions include:

1. A unified notation system that integrates discrete and continuous representations
2. A set of core equations that capture the essential system dynamics
3. A computational implementation that validates the theoretical framework

Future work will extend this framework to incorporate additional operational constraints and explore applications in related domains.

Note: Figure translations are in progress. See original paper for figures.

Source: ChinaXiv — Machine translation. Verify with original.